

WELFARE ANALYSIS OF CHANGING NOTCHES: EVIDENCE FROM BOLSA FAMILIA

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IIPF Annual Congress

Johannes Kepler University of Linz

August 12th, 2022

THIS PAPER: NEW METHOD FOR PLACING BOUNDS ON MVPF

- Question: how can we evaluate the welfare gains from policy reforms featuring notches?
 - ▶ MVPF (Hendren & Sprung-Keyser 2020): ratio of households' WTP for reform relative to its budgetary cost
 - ▶ Govt. values giving \$MVPF to HH more than spending \$1 on best alternative $\implies \Delta W > 0$
 - ▶ **Problem:** generally need many modeling assumptions on agent's problem (e.g. utility function form, nature of frictions, etc.) and study small changes in notches
- **Solution:** revealed preference-based approach to bound the MVPF using only information about the total costs, and # of "jumpers" and "bunchers" around a policy notch change
- **"Diff-in-disc"** empirical application to large-scale transfer program in Brazil aimed at alleviating extreme poverty (notch moves up)
 - ▶ Check sensitivity to shifting the unaffected "bandwidth" and generalized DiD polynomial forms \implies MVPF bounds do not change much (small standard errors)
 - ▶ Placebo tests: randomly assign bins below notch to treatment group

SUMMARY & ILLUSTRATION OF THE METHOD

Group	Number of households	WTP (per-household)	Cost to Govt. (per-household)
Mechanical Households	$M = G(\tau; \mathbf{p}')$	Δb	Δb
Bunching Households	$B = G(\tau; \mathbf{p}) - G(\tau; \mathbf{p}')$	$\in [\Delta b, b']$	Δb
Threshold Households	$T = G(\tau'; \mathbf{p}) - G(\tau; \mathbf{p})$	b'	b'
Jumping Households	$J = G(\tau'; \mathbf{p}') - G(\tau'; \mathbf{p})$	$\in [0, b']$	b'

- Mechanical and threshold HHs are **inframarginal** to the reform
 - ▶ Mechanical HHs always report below initial notch
 - ▶ Threshold HHs get the new benefit because they report in between the two notches
- In contrast, bunching and jumping HHs exhibit **behavioral** responses
 - ▶ Bunchers (B) bunch at initial notch and then bunch at new notch
 - ▶ Jumpers (J) are initially above new notch and bunch at new notch once implemented
- Revealed preference argument holds $\forall \Delta b, \Delta \tau$ and modeling other agent choice variables

COMMENT #1: ROLE OF INFORMALITY AND ENFORCEMENT

- Two main questions I had after reading:

1. Where would enforcement fit in?

- ★ It could show up in the total cost of the policy (sufficient statistic)
- ★ Could collapse the standard Allingham-Sandmo problem into the $v(\cdot)$ evasion cost function
- ★ What if moving from old to new policy \implies change in prob. of getting caught or punishment?
- ★ Challenging for identification and interpreting revealed preferences (**expected values**)

2. Is this method useful beyond the informal economy context?

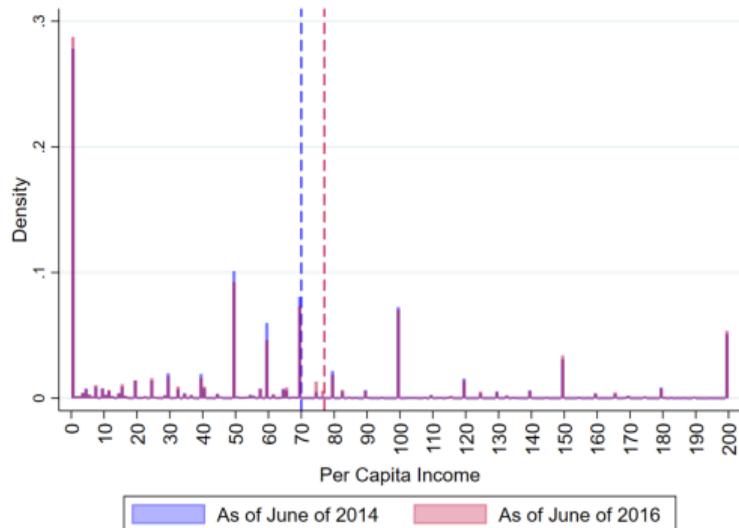
- ★ Enforcement capacity lower in developing economy context
- ★ Other reasons: simplicity of the tax code, lack of financial education (optimization frictions)

- My guess is that Prop. 3 still holds b/c enforcement can be embedded within the utility function, but discussion of this seems warranted

COMMENT #2: SCHEDULES WITH MULTIPLE NOTCHES

- Tax systems with multiple notches are overwhelmingly common
 - ▶ BF has another notch far away from the extreme poverty notch used here
 - ▶ But what happens if the notches are close together?
- **Impacts generalizability of method to advanced economy context where multiple close notches are relatively more common**
 - ▶ Example: Glogowsky (2021) extends standard Saez (2010) approach to German IHT system with multiple close notches in taxable gift amount
 - ★ Shows that this creates two sets of bunchers: one type behaves as if there is a kink and the other as if there is a notch
 - ▶ Revealed preference argument should still go through (?) but with more subsets of the 4 archetypal HHs
 - ▶ Discussion of this case seems warranted given that the paper's thesis is to provide a new practical tool to PF economists

RELATED POINT: WHAT IS THE ROLE OF “SCHMEDULING”?



- **Schmeduling**: taxpayers inaccurately perceive tax schedule (Liebman & Zeckhauser 2004)
 - ▶ Rees-Jones & Taubinsky (2020) show 43% of U.S. taxpayers “iron” over PIT kinks
 - ▶ Okay, U.S. system is very complicated
- But BF is simple and also has bunching around vestigial notches
 - ▶ Leads authors to use non-standard bunching estimator due to lumpy per capita income
- Formulas hold for BF b/c this appears to be “benignant” bunching
- Would the behavioral assumptions needed to maintain the main proposition hold elsewhere?

A FEW MISCELLANEOUS THOUGHTS

- Gelman & Imbens (2018) on RD designs and using local linear or quadratic polynomials
 - ▶ Econometric critique of using higher-order polynomials would apply here
 - ▶ Show results for $K = 0$, $K = 1$ local polynomial order as reference in Table 3
 - ▶ How bad are the pre-trends that you need the polynomial correction?
- **Discounted MVPF** estimates by integrating over event study graphs (Figure 5 and 7)
 - ▶ Baseline MVPF bounds appear to total missing mass estimates over time
 - ▶ Can augment the baseline sufficient statistics along these lines (Appendix A.6)
 - ▶ Discount rate of HHs (not policymaker) matters for this calculation
 - ▶ Accounts for optimization frictions due to gradual learning about policy
- Why is the number of mechanical households so large here? (2 million compared to $B + J = 50k$) Is enforcement that strict?

OVERALL ASSESSMENT

- **New method that overcomes many empirical challenges in identifying MVPF and other welfare measures of tax reforms**
 - ▶ Looking forward to seeing applications other than along misreporting dimension
- Very well-written, impressive battery of robustness checks, and largely transparent on limitations of method
- **My main suggestion: clarify extent to which the method would apply to non-informal economy contexts where we often have...**
 - ▶ **More enforcement** either in auditing capacity or punishments
 - ▶ “Schmeduling” with profound lack of understanding of schedule
 - ▶ **Multiple notches** placed close together, which are common features of PIT, property tax, and transfer programs in advanced economies



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THANKS!
